

The Polarized Radio Emission of the Microquasar SS 433

&

3-D Faraday Rotation Imaging

Outlook & Progress

Michael Bell

Torsten Enßlin, Thomas Riller

Max Planck Institute
for Astrophysics

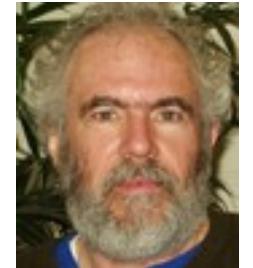


Outline

- 'Previous' work
 - The microquasar SS 433
 - VLA Imaging
 - Interpreting the polarized emission
- Current project: 3-D RM imaging
 - Signal reconstruction algorithms
 - Practice w/ 2+1D implementation
 - Generation of test data – Hammurabi
 - Reconstruction of test data
- What's next?



Previous Work



Brandeis University

John Wardle – Dave Roberts

W50



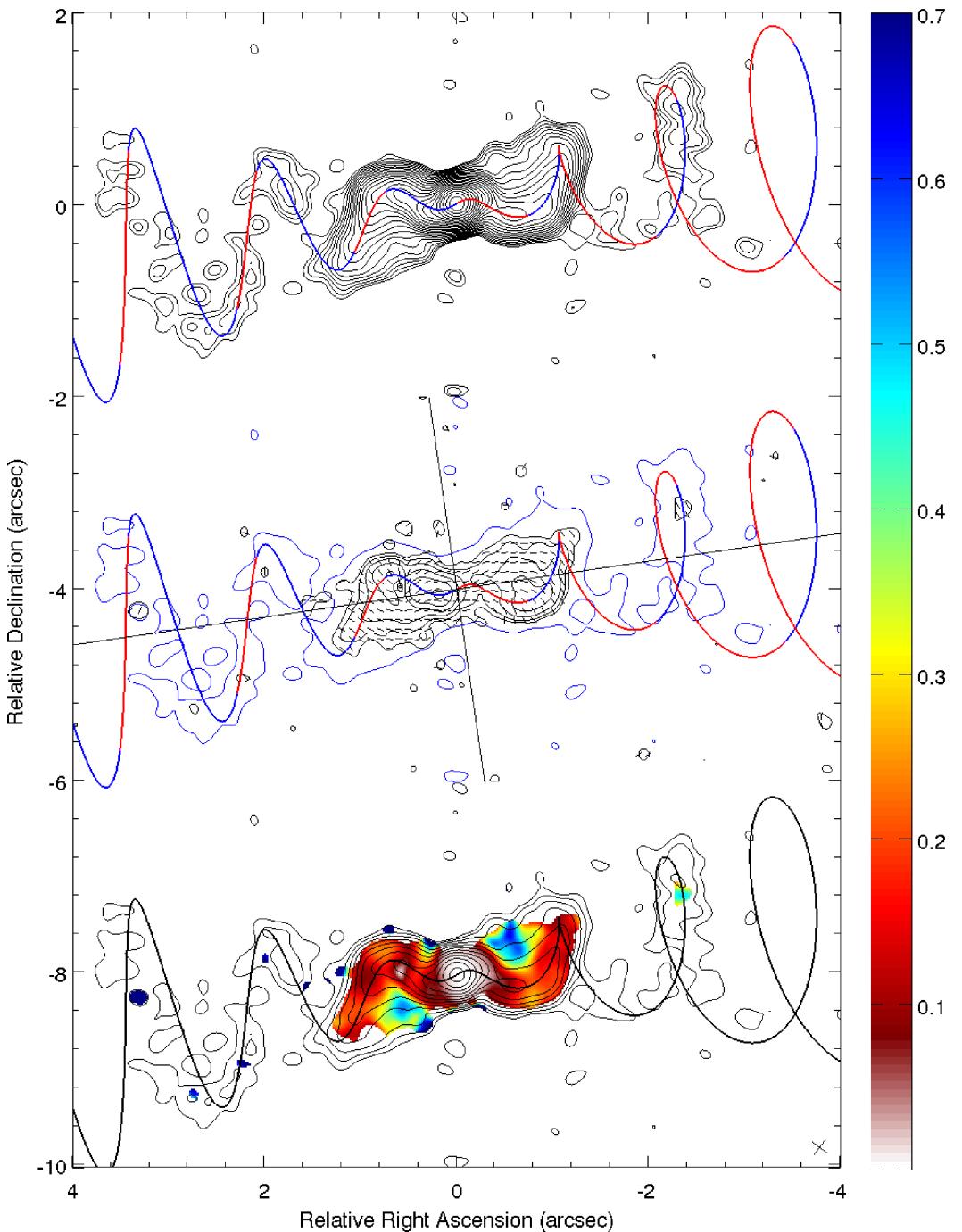
SS 433

Dubner, et. al., 1998

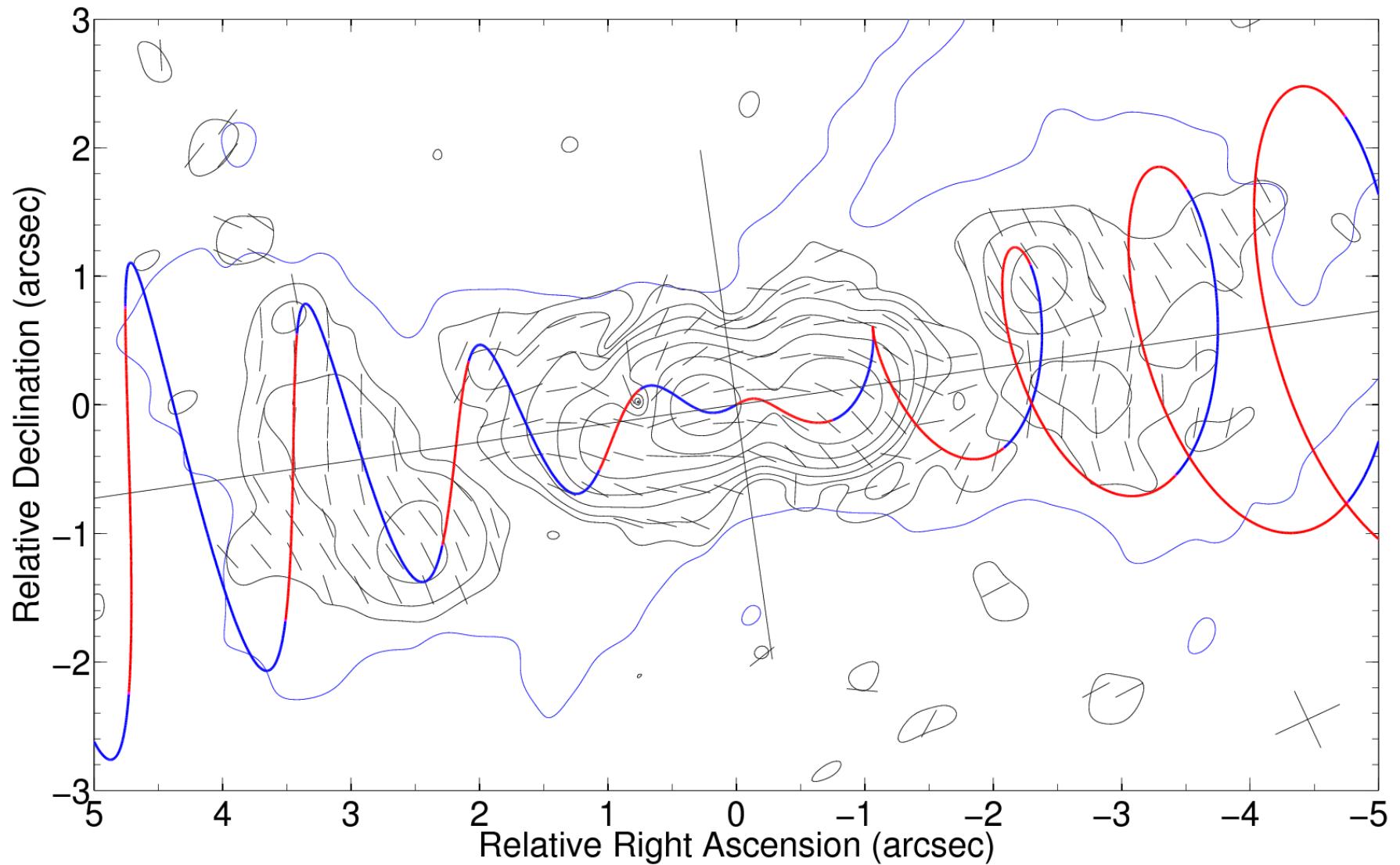
Blundell & Bowler, 2004

Observations

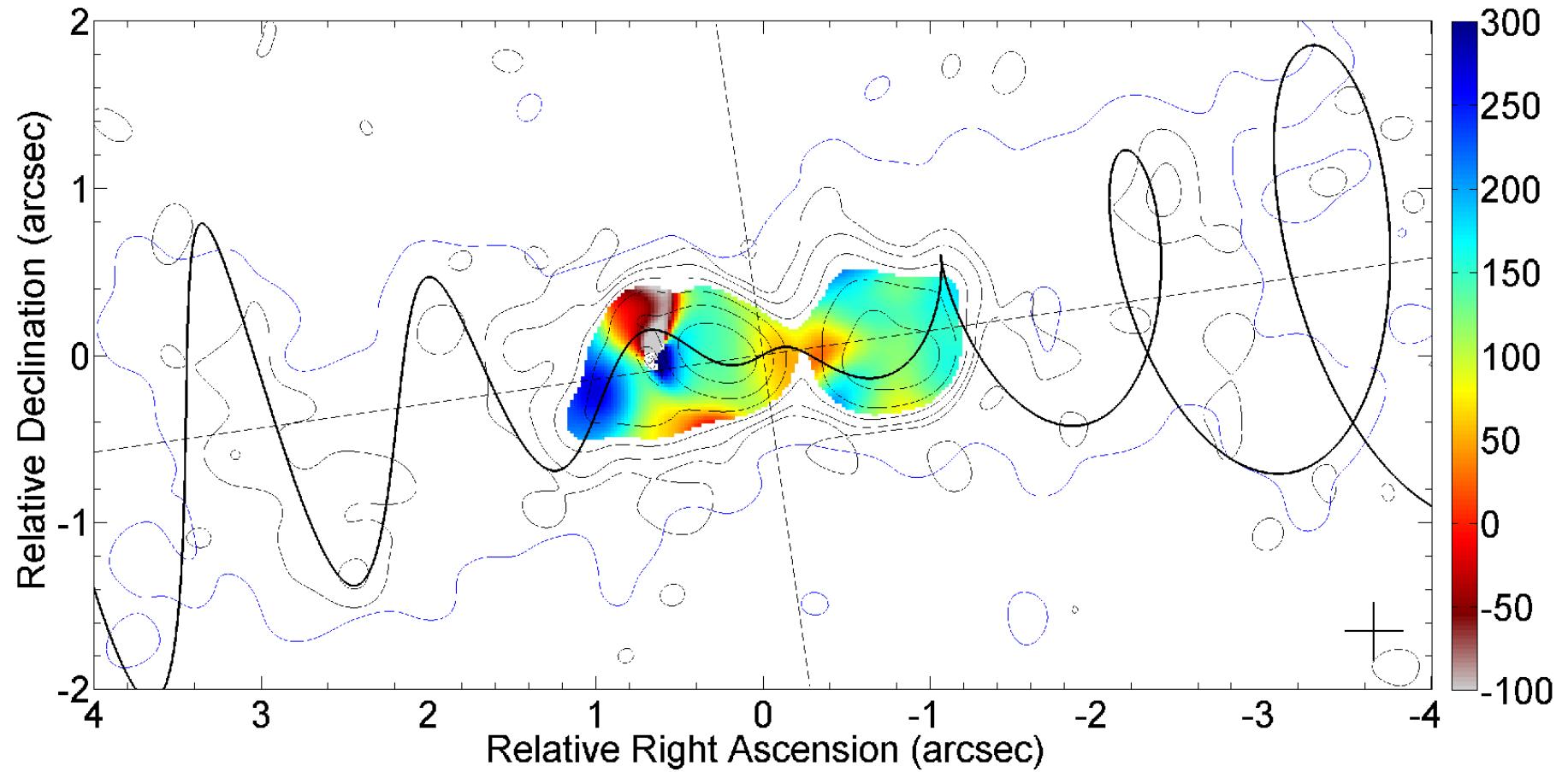
- Five VLA A-array observations
- 5 & 8.5 GHz
- Particularly interested in polarized flux
 - Highly polarized
 - Complex EVPA structure
 - Very highly polarized emission in off-jet region



Changing EVPA behavior

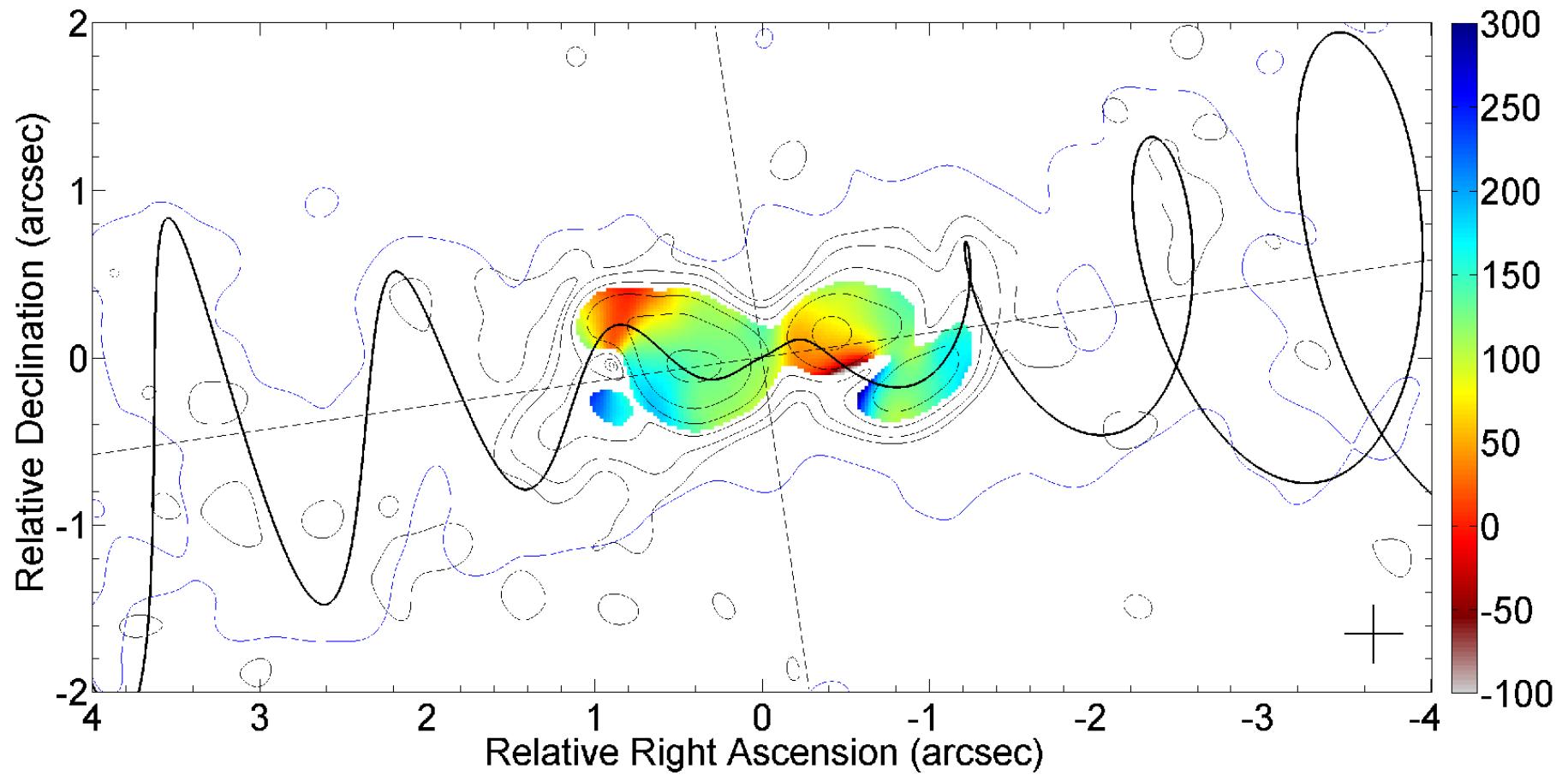


Rotation Measure



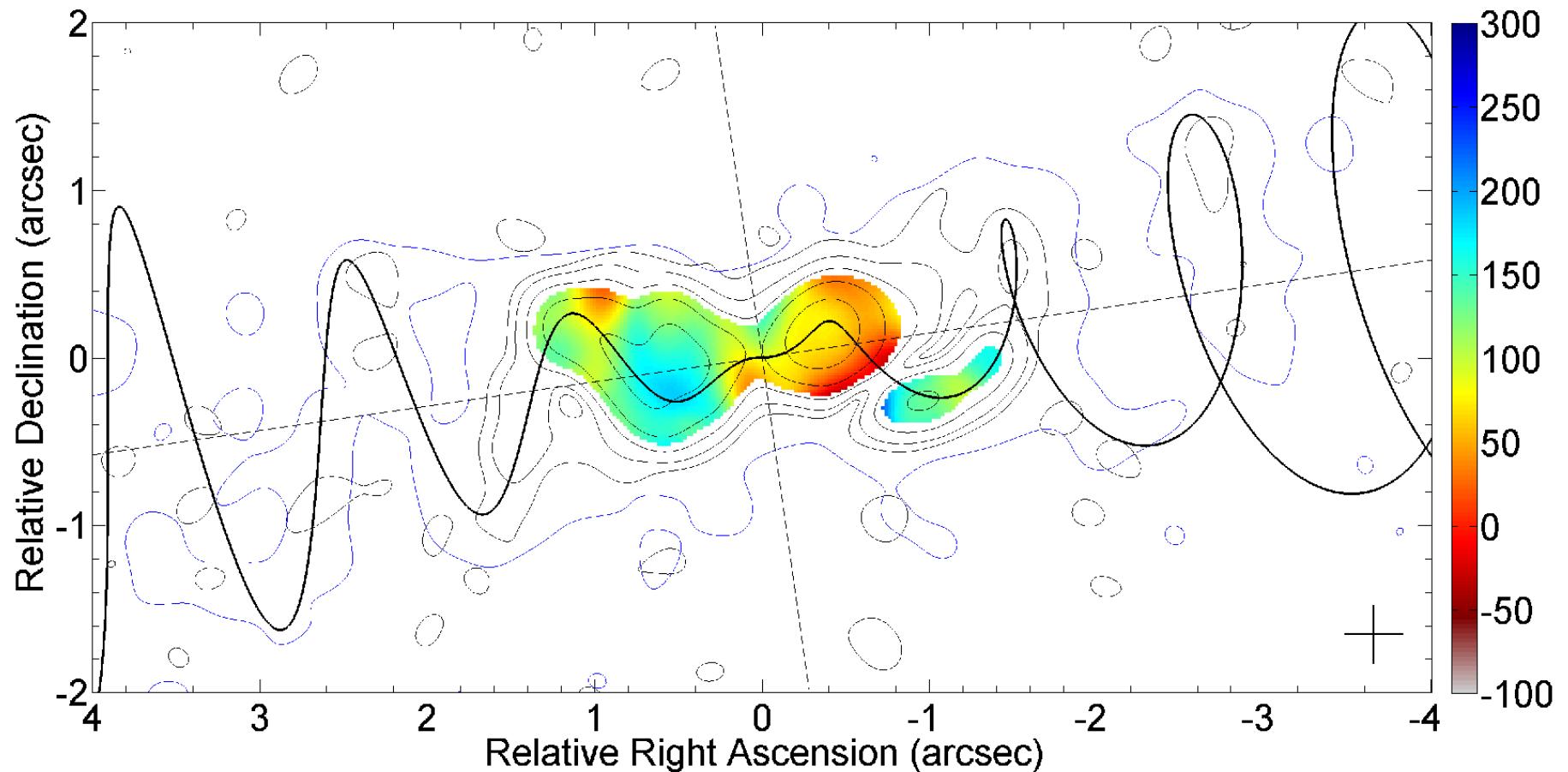
June 8th

Rotation Measure



July 1st

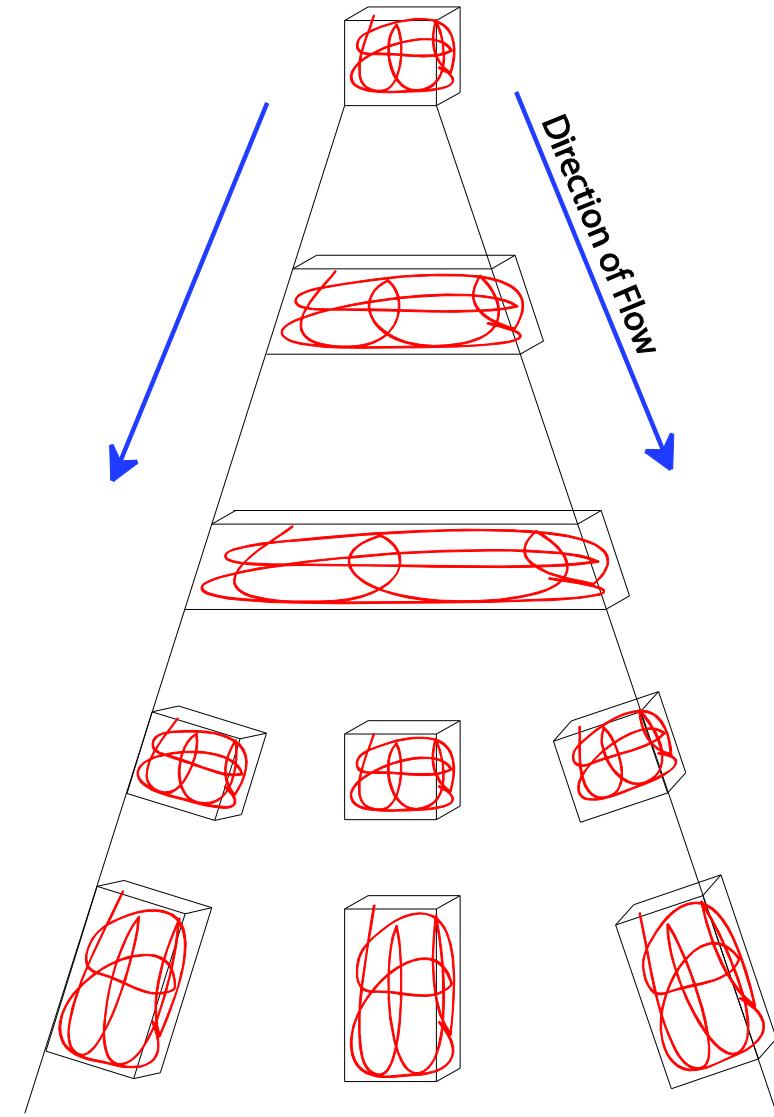
Rotation Measure



August 5th

What is going on?

- We propose:
 - Jet tube is stretched as material flows outward
 - Jet breaks up due to instability
 - Individual ‘blobs’ elongate



In my free time...

- Still active on this
 - Toy Magnetic field model
 - Publish some results
- Just proposed follow-up eVLA observations
 - C band: Confirm RM structure, observe EVPA transition
 - K band: Observe inner 1" in detail, model will be highly testable



3D RM Synthesis

- RM synthesis and synthesis imaging in one step

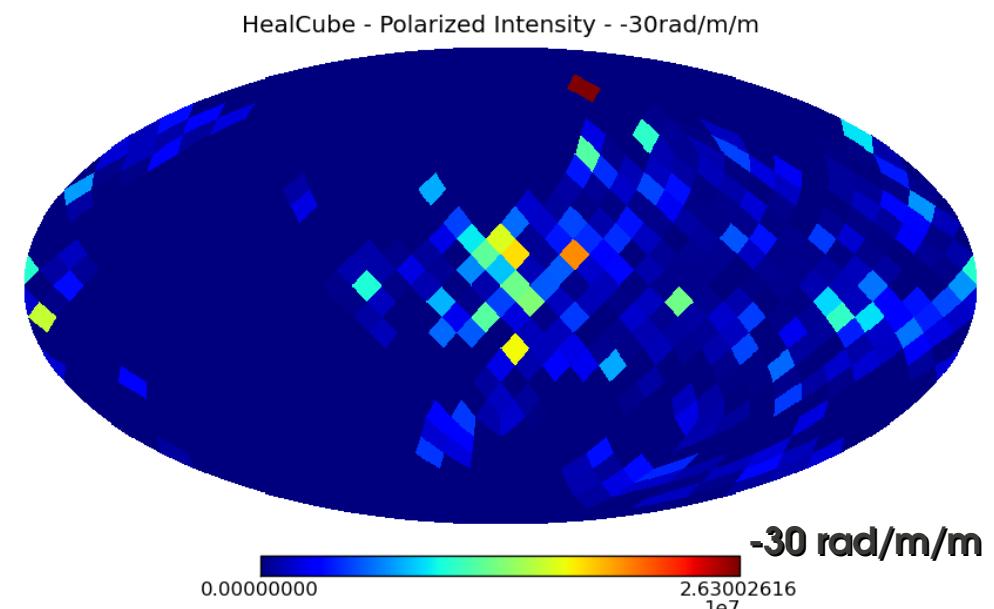
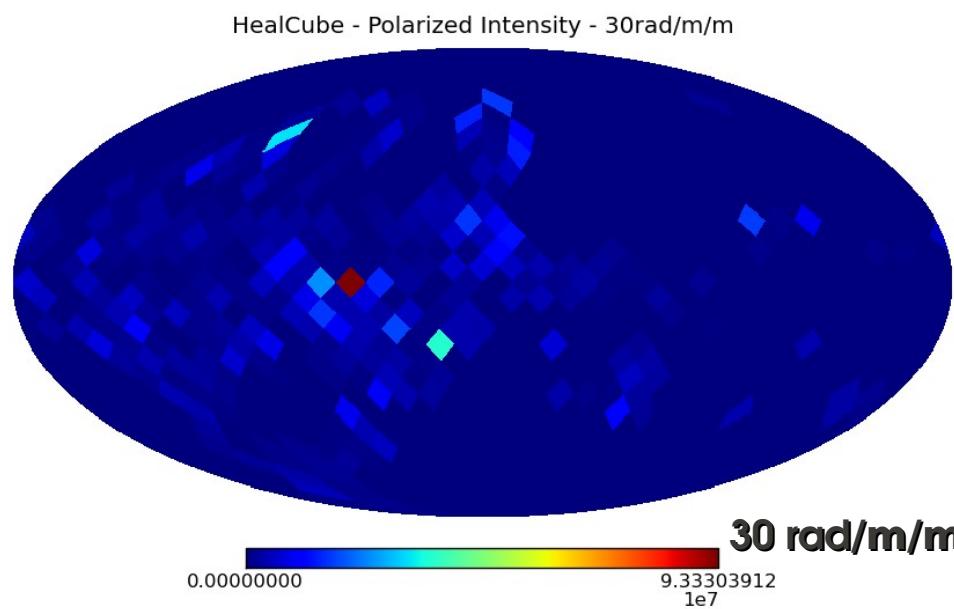
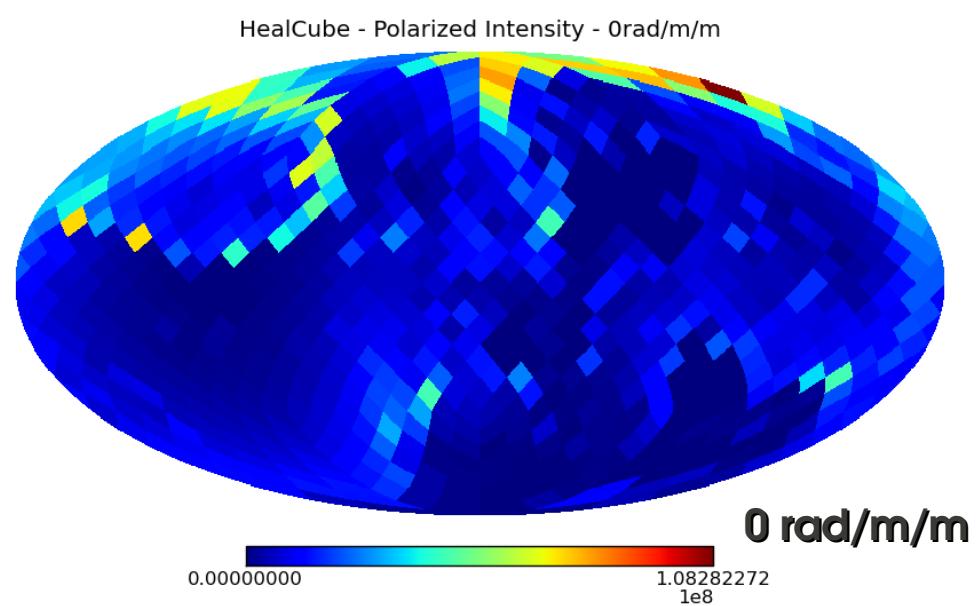
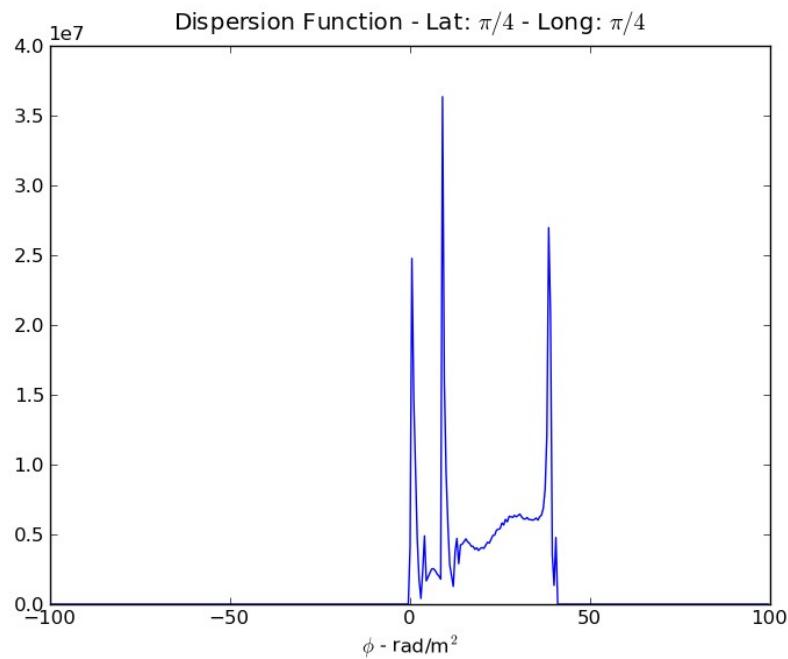
$$P(u, v, \lambda^2) \propto \iiint F(l, m, \phi) e^{2\pi i (\phi \frac{\lambda^2}{\pi} - ul - vm)}$$

- But first... practice in 2+1D
 - Implement and test algorithms
 - Simulated data set: HAMMURABI

Testing

- Hammurabi (Waelkens et al., 2008)
 - Simulation of galactic synchrotron emission
 - User defined model of B field, CRE, n_e
- My modifications...
 - Compute dispersion function as we integrate along the L.O.S.
 - Fourier transform gives $P(\lambda^2)$
- Proof of concept with realistic signal
 - Test different reconstruction techniques
 - Later apply to real data: GMIMS survey

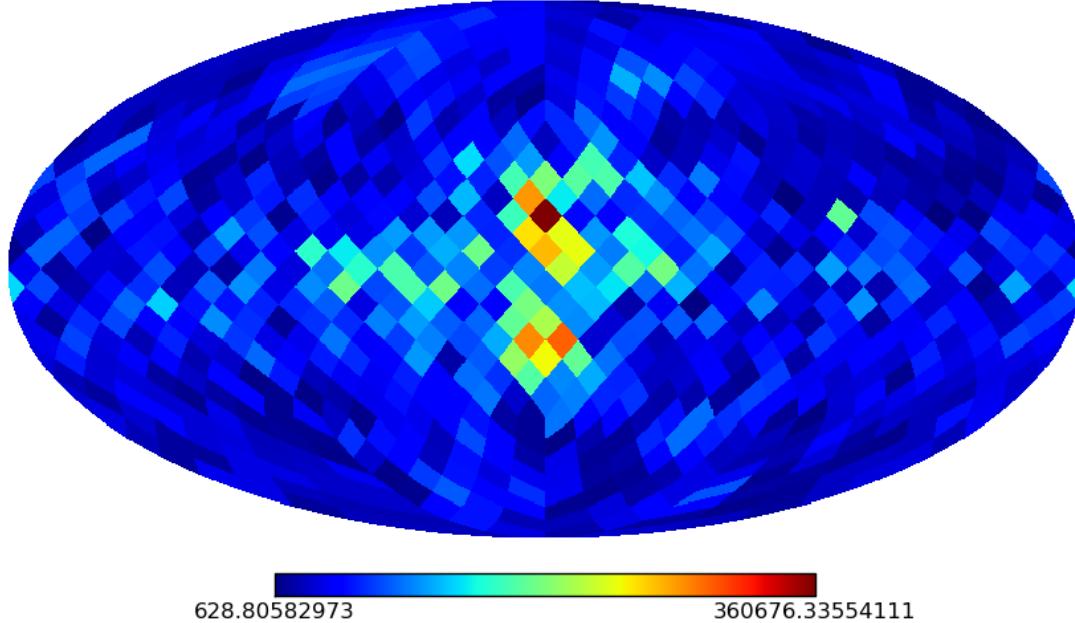
Galactic Dispersion Function



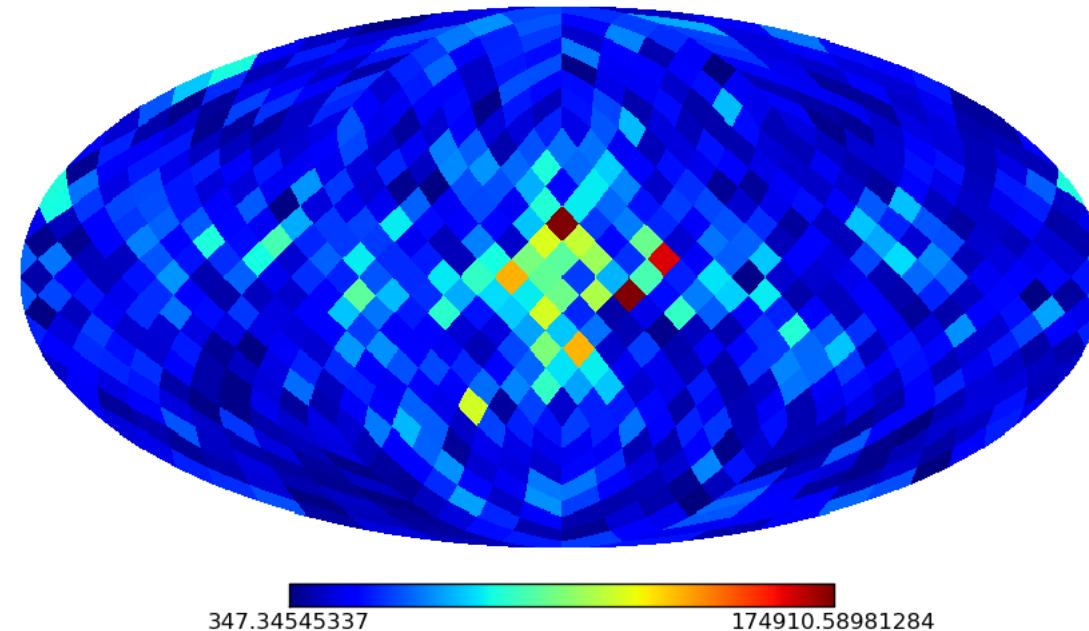
Simulated Maps

- Very low resolution
(for now...)
50 sq. deg. per pix
- FFT of dispersion function
- Examples
 - Top: 1.5 GHz*
 - Bottom: 500 MHz*

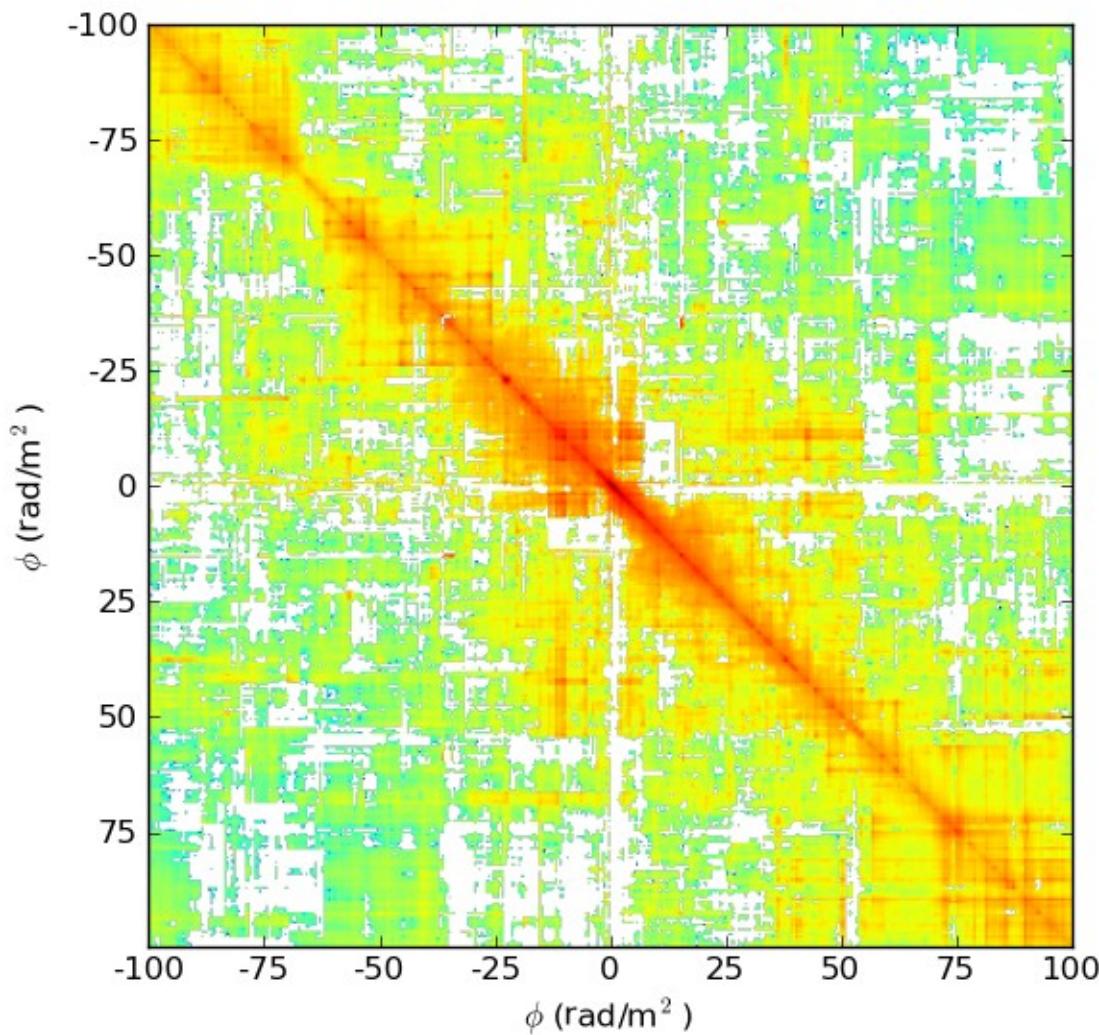
HealCube - Polarized Intensity - 0.04m^2



HealCube - Polarized Intensity - 0.36m^2



Signal Covariance Matrix



$P(\lambda^2)$ FFT
The Wiener Filter
 $d = R_s + n$

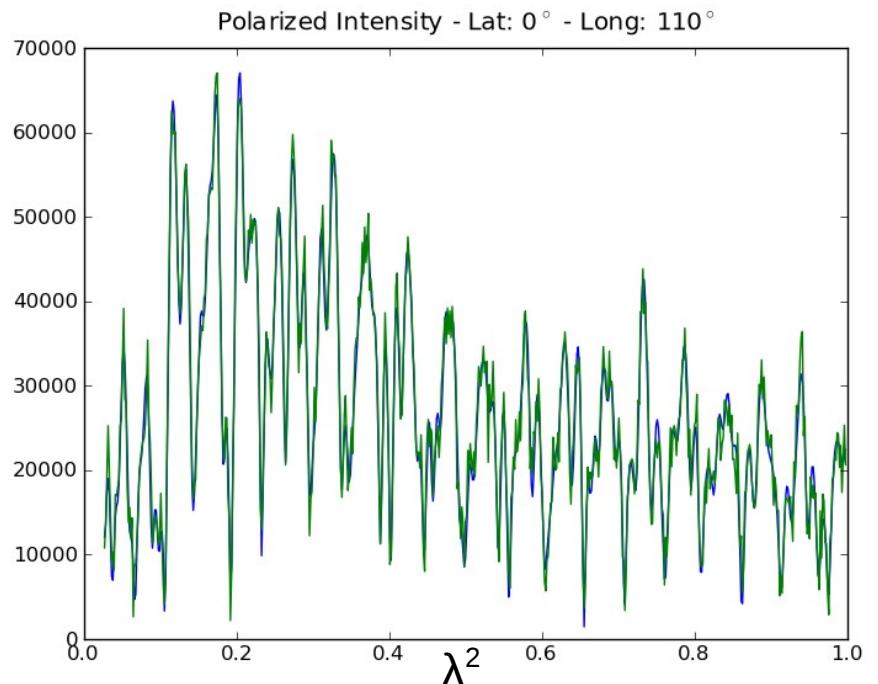
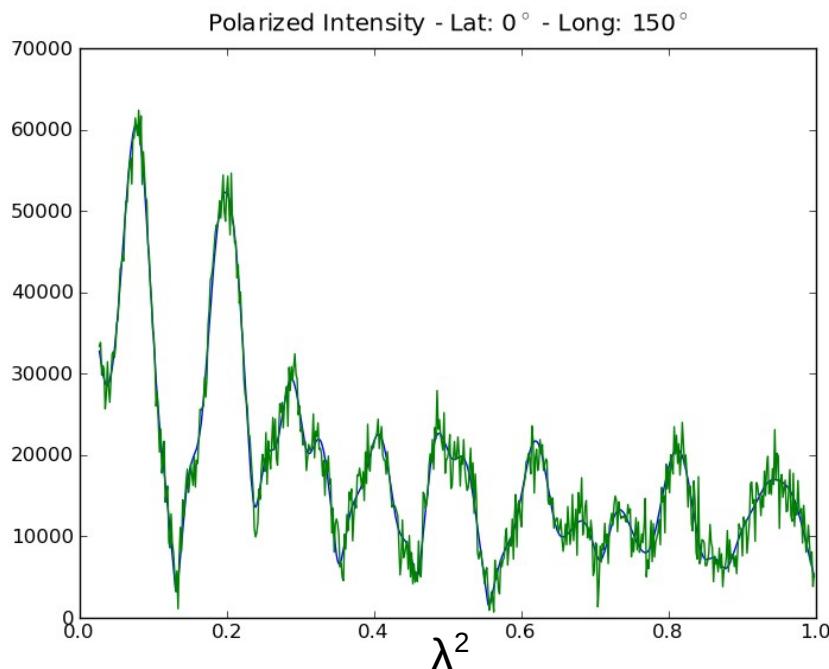
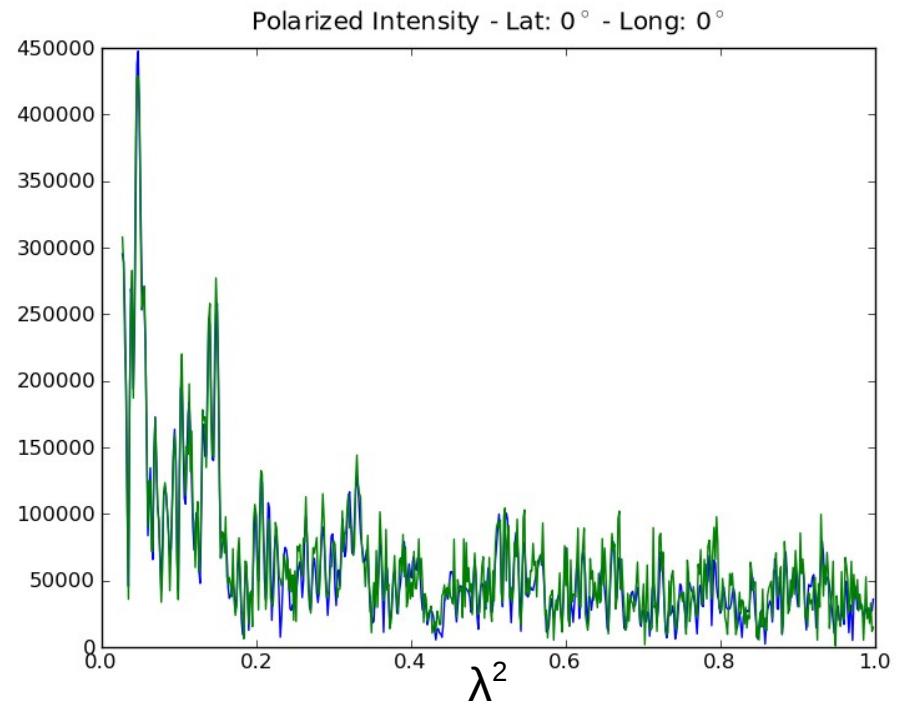
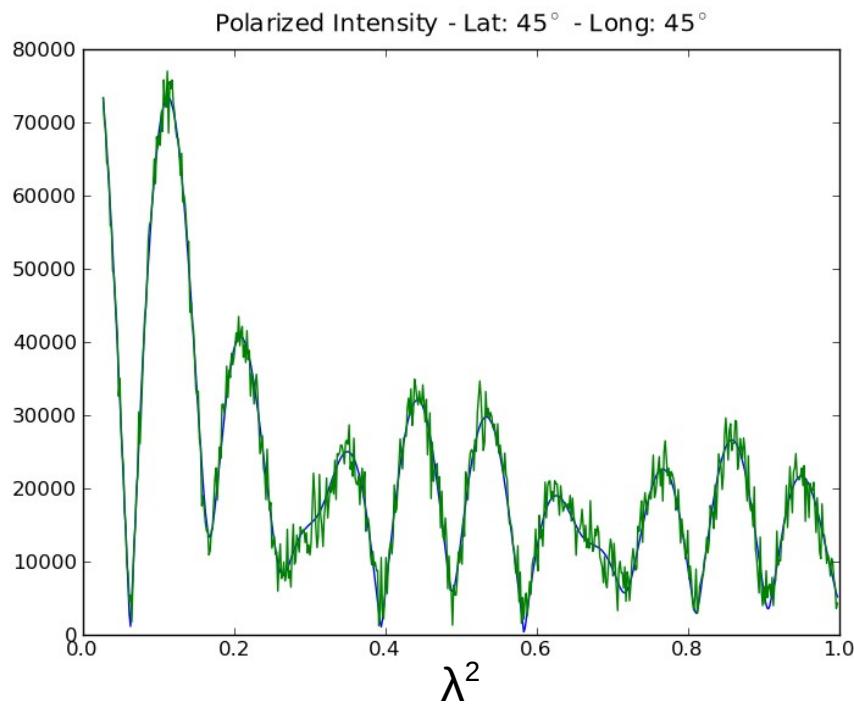
F(ϕ)

Gaussian signal prior
w/covariance matrix S

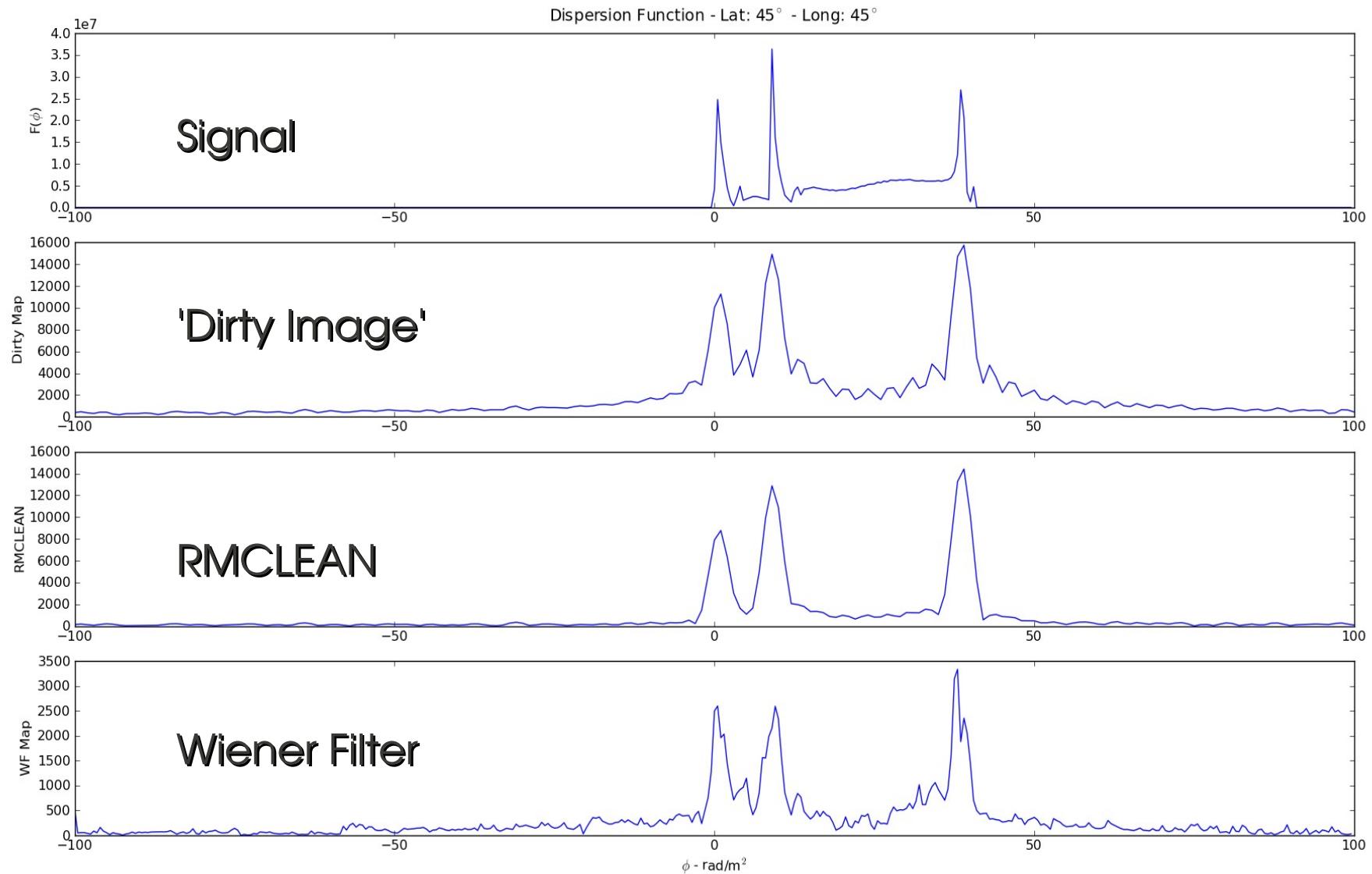
Gaussian noise prior
w/covariance matrix N

$$WF = (S^{-1} + R^{\dagger}N^{-1}R)^{-1}R^{\dagger}N^{-1}$$

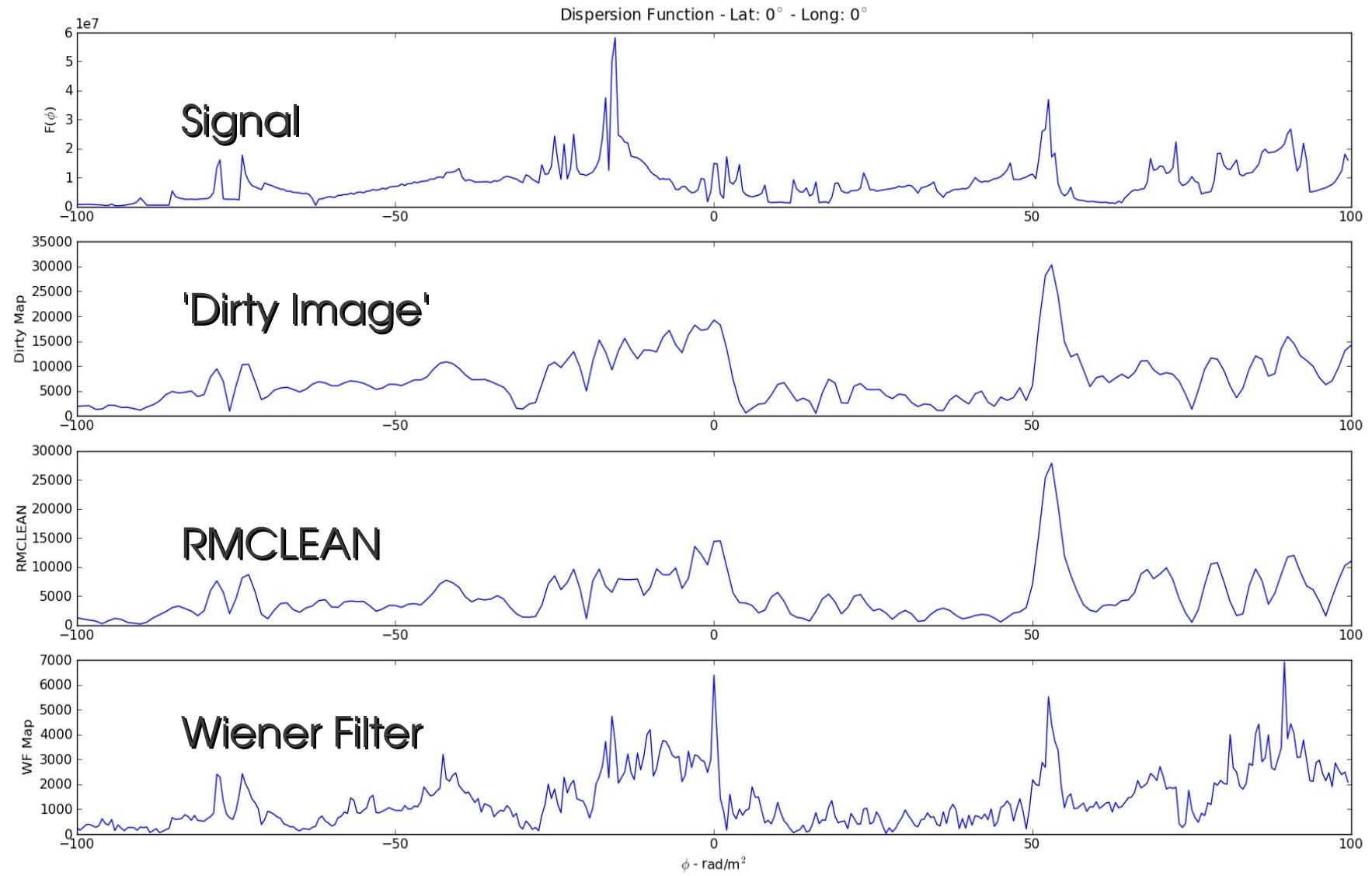
'Observing' the simulations



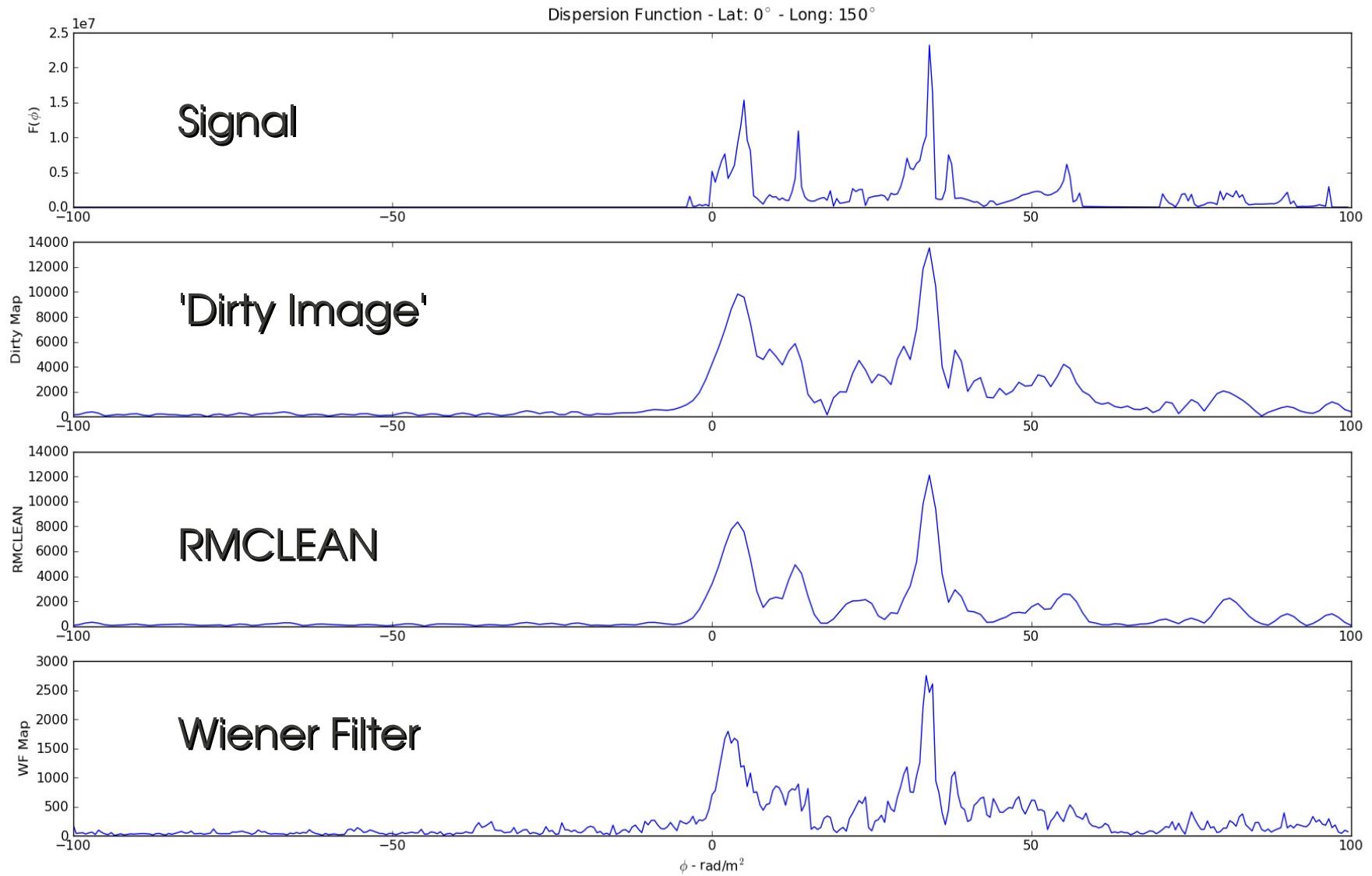
Reconstruction



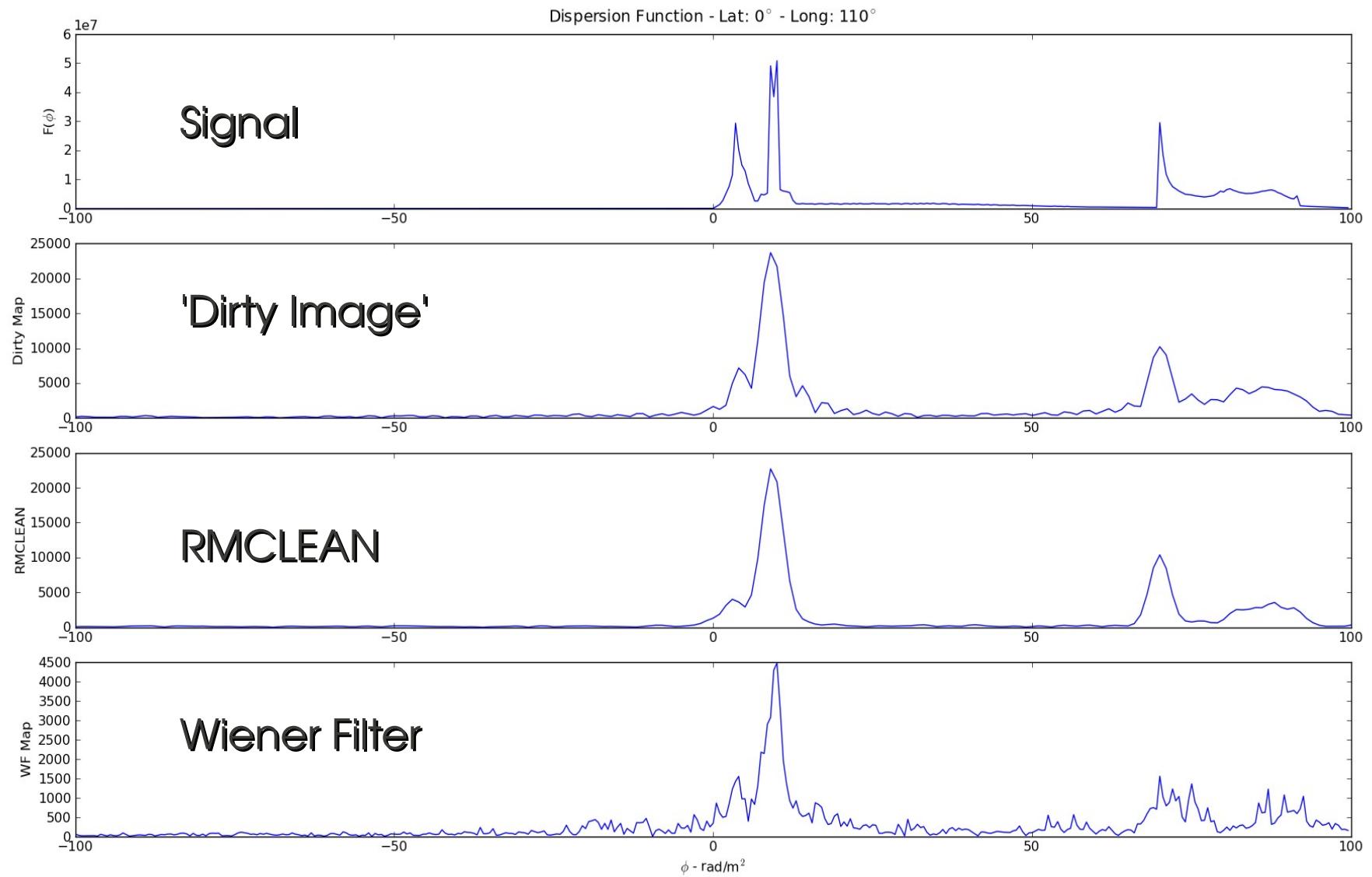
Reconstruction, cont.



Reconstruction, cont.



Reconstruction, cont.



Now what...

- Continue to test algorithms
 - Compute S from data (iteratively)
 - How does each perform in specific situations?
- Working with Thomas Riller on LOFAR RM pipeline
- Very soon: Begin development of 3D Imaging software

THANKS!