Accretion and Outflows in AGN

Andrew King

Theoretical Astrophysics Group, Leicester

• cosmological view:

• cosmological view:

mergers

• cosmological view:

mergers

• galaxies grow by mergers

- cosmological view: mergers
- galaxies grow by mergers
- M- σ relation implies central black holes also grow

- cosmological view: mergers
- galaxies grow by mergers
- M- σ relation implies central black holes also grow
- SMBH growth means accretion

- how does AGN accretion occur?
- tidal interaction during merger disturbs host galaxy

- how does AGN accretion occur?
- tidal interaction during merger disturbs host galaxy
- then a miracle occurs

- how does AGN accretion occur?
- tidal interaction during merger disturbs host galaxy
- then a miracle occurs matter sinks to vicinity of SMBH
- ultimately this matter must accrete as a disc

• disc accretion probably driven by magneto-rotational instability (MRI)



accretion

• but occasionally the fields all line up



- fields transport more a.m. out, more mass in -- amplifies field
- diffusion equation for mass becomes a wave equation



- what about accretion rates?
- no reason for mergers to know about Eddington limit so Mdot may exceed Eddington rate
- observational selection favours AGN near $L_{Edd},$ especially at high z
- need high Mdot to grow SMBH in time
- do we see evidence of super-Eddington accretion in AGN?

• X-ray observations of some narrow-line quasars with L \sim L_{Edd} show blueshifted absorption lines, suggesting *outflows* e.g. PG1211+143 (Pounds et al., 2003a):

 $v \simeq 0.08c$ (from H and He-like Fe, S, Mg,...)

- observed ionization parameter $\xi = L/NR^2\,$ and ionizing luminosity L give

$$\dot{M}_{out} = 4\pi b R^2 N v m_H$$

• then

$$\dot{M}_{out} v \approx \frac{L_{Edd}}{c}$$

• other systems similar, e.g. PG844+349 (Pounds et al., 2003b) PDS 465 (Reeves et al., 2003)

• suggests radiation field L \sim L_{Edd} transfers \sim *all* its momentum to the outflow, i.e. $\tau_{scattering} \sim 1$



• $\tau \sim 1$ is plausible since $N_{\rm H} \sim 10^{24} \mbox{ cm}^{-2}$

• also
$$L \approx L_{Edd}$$
, $\dot{M}_{out} > \dot{M}_{Edd}$

• suggests response to super-Eddington accretion is to expel excess accretion as an outflow with thrust given purely by L_{Edd} , i.e.

$$\dot{M}_{out} v \approx \frac{L_{Edd}}{c}$$
NB mechanical energy flux $\frac{1}{2}\dot{M}_{out}v^2 \approx \frac{L_{Edd}v}{c}$ requires knowledge of v or \dot{M}_{out}

relevance to growth of nuclear black holes:

most of mass assembled by luminous accretion (Soltan, 1982, Yu & Tremaine, 2002)

- \bullet probably need to grow on Salpeter timescale i.e. $L \sim L_{\rm Edd}$
- suggests $\dot{M}_{acc} > \dot{M}_{Edd}$
- \bullet outflows with thrust $L_{\rm Edd}/c$ must have been common as nuclear black holes grew

- effect on host galaxy must be large: it must absorb most of outflow momentum and energy – galaxies are not `optically thin' to matter – unlike radiation
- e.g. PG1211+143 could have accreted at $\sim 1 M_{\odot} \ yr^{-1}$ for $\sim 5 \times 10^7 \ yr$
- mechanical energy deposited in this time $\sim 10^{60}$ erg
- cf binding energy $\sim 10^{59}$ erg of galactic bulge with $M\sim 10^{11}\,M_\odot$ and velocity dispersion $\sigma\sim 300$ km s^{-1}
- re-examine effect of super-Eddington accretion on growing nuclear black holes (Silk & Rees, 1998; Haehnelt 1998; Blandford, 1999; Fabian, 1999)

• model protogalaxy as an isothermal sphere of dark matter: gas density is

$$\rho(R) = \frac{f_g \sigma^2}{2\pi G r^2}$$

with
$$f_g = \Omega_{baryon} / \Omega_{matter} \simeq 0.16$$

• so gas mass inside radius R is

$$M(R) = 4\pi \int_0^R \rho r^2 dr = \frac{2f_g \sigma^2 R}{G}$$



- dynamics depend on whether gas cools (`momentum-driven') or not (`energy-driven')
- Compton cooling is efficient out to radius R_c such that

$$M(R_c) \sim 2 \times 10^{11} \sigma_{200}^3 M_8^{1/2} M_{\odot}$$

where
$$\sigma_{200} = \sigma/200$$
 km s⁻¹, $M_8 = M/10^8 M_{\odot}$

• flow is momentum-driven (i.e. gas pressure is unimportant) out to $R = R_c$

• ram pressure of outflow drives expansion of swept-up shell:

$$\frac{d}{dt}[M(R)\dot{R}] = 4\pi R^2 \rho v^2 = \dot{M}_{out} v = \frac{L_{Edd}}{c}$$
$$M(R)\dot{R} = \frac{L_{Edd}t}{c}$$
$$M(R) = 2f_g \sigma^2 R/G \text{ we get}$$

$$R^2 = \frac{GL_{Edd}t^2}{2f_g\sigma^2c}$$

(integration constants negligible for large t)

SO

Since

Thus shell moves with constant speed $v_m = R/t$, with

$$v_m^2 = \frac{GL_{Edd}}{2f_g\sigma^2c}$$

• v_m increases with L_{Edd} , i.e. with BH mass M

• shell expands at speed v_m provided R < cooling radius R_c

• outside R_c shell expands at higher (energy-driven) speed v_e

• v_e also increases with M

- now consider growth of M by accretion
- initially M small, $\dot{M}_{acc} > \dot{M}_{Edd}$ and $v_m < v_e <$ escape velocity $\sim \sigma$: hole accretes at rate \dot{M}_{Edd}
- eventually M large enough that $v_m < \sigma < v_e$: M cannot grow beyond the point where $v_m = \sigma$
- thus given an adequate gas supply, e.g. through mergers, hole grows until $v_m^2 = GL_{Edd}/2f_g\sigma^2 c = \sigma^2$, i.e.

$$M = \frac{f_g \kappa}{2\pi G^2} \sigma^4$$

or $M \simeq 1.5 \times 10^8 \sigma_{200}^{-4} M_{\odot}$

(King, 2003)

- this is very close to the observed relation (Ferrarese & Merritt, 2000; Gebhardt et al., 2000; Tremaine et al, 2002)
- if instead $L_{BH} = \Gamma L_{Edd}$, derived M goes as $\Gamma^{-1} cf$ Murray, Quataert & Thompson (astro-ph/0406070) for absorption of UV from accretion
- if swept-up mass ends as bulge stars, get $M^{5/4} \sim M_{\mbox{bulge}}$ or

$$M \sim 7 \times 10^{-4} M_8^{-1/4} M_{bulge}$$

- this derivation requires largely spherical geometry (small a.m. to define disc plane only)
- would not halt inflow if most mass lies in a plane requires most mass growth before this point
- derivation requires most mass growth in super-Eddington phases
- few observed AGN in such phases, so either obscured, or high z
- observed super-Eddington quasars are late in gaining mass low M rather than high \dot{M}_{acc}